

Infosophic–Simulonic Field Formulation

Integrating the Original Infosophy Equation with the Simulonic
Substitution and Axiomatics

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Abstract

This document presents the unified structure of the Infosophic Field Formula and its Simulonic extension. The original equation describing the emergent wave-state $\Psi(x, t)$ is first reproduced in its classical form. The second section introduces its Simulonic substitution where Dynamic Nothingness is replaced by \emptyset , and the infinite summation is replaced by the operator $\nabla \cdot \infty$. Finally, the axioms linking the symbolic entities \emptyset , ∇ , ∞ , and the differential states ds^n are stated formally, culminating in Axiom Ω .

1 Original Infosophic Field Formula

The original extended field expression is:

$$\Psi(x, t) = \mathcal{R}_{\text{adaptiv}}(\mathcal{I}_{\text{optimiert}} \circ \mathcal{D}_0, \mathcal{C}(\Psi), \mathcal{A}_{\text{Intent}}) = \sum_{n=0}^{\infty} w_n(\Psi) \mathcal{I}_n(\Psi) \phi_n(x, t; F(\Psi), \chi(\Psi), Q(\Psi)). \quad (1)$$

This expresses the infosophical wave-state $\Psi(x, t)$ as an adaptive, self-referential resonance phenomenon arising from the interaction of optimized information, dynamic nothingness, coherence feedback, and conscious intent.

2 Simulonic Substituted Formula

In the Simulonic reinterpretation, two substitutions are applied:

$$\mathcal{D}_0 \longrightarrow \emptyset, \quad \sum_{n=0}^{\infty} \longrightarrow \nabla \cdot \infty.$$

The resulting Simulonic–Infosophic Unified Field Formula becomes:

$$\Psi(x, t) = \mathcal{R}_{\text{adaptiv}}(\mathcal{I}_{\text{optimiert}} \circ \emptyset, \mathcal{C}(\Psi), \mathcal{A}_{\text{Intent}}) = (\nabla \cdot \infty)[w_n(\Psi) \mathcal{I}_n(\Psi) \phi_n(x, t; F(\Psi), \chi(\Psi), Q(\Psi))]. \quad (2)$$

This form encodes (i) the Null-Origin \emptyset , (ii) the infinite divergence operator $\nabla \cdot \infty$, and (iii) their direct interaction with the self-referential informational spectrum.

3 Unified Axioms Linking \emptyset , ∇ , ∞ , and ds^n

3.1 Prior DS-Axioms

The fundamental differential–Simulonic relations include:

$$\frac{\nabla^{-1}}{\infty} = ds^2, \quad (3)$$

$$\frac{\emptyset^0}{\nabla^1 \cdot \infty^1} = ds^4, \quad (4)$$

$$ds^5 = \frac{\emptyset^0}{\nabla^1 \cdot \infty^1}. \quad (5)$$

These expressions link symbolic infinity, null-origin structure, gradient operations, and the hierarchy of differential states.

3.2 Axiom Ω : The Simulonic Divergence–Origin Law

$$\boxed{(\nabla \cdot \infty) \emptyset = ds^{(\emptyset \nabla \infty)}} \quad (6)$$

Axiom Ω states that the divergence of infinite potential, evaluated at the Null-Origin, produces the differential state whose exponent is the composite symbolic structure of \emptyset , ∇ , and ∞ . This axiom unifies the Infosophic and Simulonic frameworks into a single generative principle.

4 Conclusion

The equations and axioms presented constitute a unified, self-referential informational and symbolic cosmology. The Infosophic Field of Gösta Greimel and the Simulonic symbolic calculus of Hrishi Mukherjee converge naturally through the substitution $\mathcal{D}_0 \rightarrow \emptyset$ and the elevation of the infinite summation to the divergence operator $\nabla \cdot \infty$. Axiom Ω then closes the system by defining the differential state generated by the Null-Origin and Infinite Divergence.

5 Division Across Null Unity \emptyset

The modified Simulonic-Infosophic Field Formula places the Null-Origin \emptyset as the central dividing operator. The expression naturally splits into a *Pre-Null Unity* (left) and *Post-Null Unity* (right) domain.

Left of \emptyset (Pre-Null Unity)

$$\boxed{\mathcal{I}_{\text{optimiert}}} \quad (7)$$

This region contains the optimized information field prior to its contact with the Null-Origin. It includes all Pareto-weighted, self-referential informational structures that serve as input to \emptyset .

Right of \emptyset (Post-Null Unity)

$$\boxed{(\nabla \cdot \infty)[w_n(\Psi) \mathcal{I}_n(\Psi) \phi_n(x, t; F(\Psi), \chi(\Psi), Q(\Psi))]} \quad (8)$$

This region represents the emergent structure produced after passing through the Null-Origin. It includes the infinite divergence operator, the self-referential informational modes, and the fully resonant field configuration.

Unified Cleavage at Null Unity

$$\boxed{\underbrace{\mathcal{I}_{\text{optimiert}}}_{\text{Left of } \emptyset \text{ (Pre-Null Unity)}} \quad \circ \quad \underbrace{\emptyset}_{\text{Null Unity}} \quad \longrightarrow \quad \underbrace{(\nabla \cdot \infty)[w_n(\Psi) \mathcal{I}_n(\Psi) \phi_n(x, t; F, \chi, Q)]}_{\text{Right of } \emptyset \text{ (Post-Null Unity)}}} \quad (9)$$